Protection A Protection B Label and control principles	4 - 1	
1. drawning in drawning in drawning in the	451 Classifying Triangles	4.1 Classifying Triangles
$\frac{1}{1} \cdot control relationships and states in the state is compared as a control relation in the state is compared. The state is compared as a control relation in the state is compared as a control relation in the state is compared as a control relation in the state is compared as a control relation in the state is compared as a control relation in the state is control relation in the state is compared as a control relation in the state is compared as a control relation in the state is compared as a control relation in the state is compared as a control relation in the state is compared as a control relation in the state is compared as a control relation in the state is control relation in the s$	1. right triangle D A. B. 2. obtuse triangle A. B.	(Note: Some triangles may belong to
Characterization in the large by the single measures at code spectral part of the second measures in a code spectral p		
$\frac{1}{10}$		Gr.
 For barries 4-6, fill in the backs to complete such definition. A. an definition of the backs to complete such definition. A. and definition of the backs to complete such definition. A. and definition of the backs to complete such definition. A. and definition of the backs to complete such definition. A. and definition of the backs to complete such definition. A. and definition of the backs to complete such definition. A. and definition of the backs to complete such definition. A. and definition of the backs to complete such definition. A. and definition of the backs to complete such definition. A. and definition of the backs to complete such definition. A. and definition of the backs to complete such definition. A. and definition of the backs to complete such definition. A. and definition	5. 45 6. 30 136 7. 60 50 60	
 a. An equilibral work the biological provides in the conjugate state. b. An equilibral work to be a conjugate state. c. Baseline interpret by the side begins as equilatorial seaseles, or scaters. c. Baseline interpret by the side begins as equilatorial seaseles, or scaters. c. Baseline interpret by the side begins as equilatorial seaseles, or scaters. c. Baseline interpret by the side begins as equilatorial seaseles, or scaters. c. Baseline interpret by the side begins as equilatorial seaseles or scaters. c. Baseline interpret by the side begins as equilatorial seaseles or scaters. c. Baseline interpret by the side begins as equilatorial sease interpret by the side begins as encourse in the scale interpret by the side begins as equilatorial sease interpret by the side begins as encourse in the scale interpret by the side begins as encourse in the scale interpret by the side begins as encourse in the scale interpret by the side begins as encourse in the scale interpret by the side begins as encourse in the scale interpret by the side begins as encourse in the scale interpret by the side begins as encourse in the scale interpret by the side begins as encourse in the scale interpret by the side begins as encourse in the scale interpret by the side begins as encourse in the scale interpret by the side begins as encourse in the scale interpret by the side begins as encourse in the scale interpret by the side begins as encourse in the scale interpret by the side begins as encourse in the scale interpret by the side begins as encourse int		4. △ <i>GIJ</i> 5. △ <i>HIJ</i> 6. △ <i>GHJ</i>
$\frac{1}{16 \text{ the sides length of the triangle}} = \frac{1}{16 \text{ the sides}} = \frac{1}{16 \text{ the sides}$	8. An isosceles triangle has at least two congruent sides. 9. An equilateral triangle has three congruent sides.	Find the side lengths of each triangle.
$\frac{1}{16 \text{ the sides length of the triangle}} = \frac{1}{16 \text{ the sides}} = \frac{1}{16 \text{ the sides}$	Classify each triangle by its side lengths as equilateral, isosceles, or scalene.	$R = \frac{1}{x + 0.1} \frac{2n + 3\frac{3}{2}}{7} \frac{7n}{10n - 2\frac{1}{4}} U$
$\frac{1}{16 \text{ the sides length of the triangle}} = \frac{1}{16 \text{ the sides}} = \frac{1}{16 \text{ the sides}$	(Note: Give two classifications in Exercise 13.) 11. 12. 13.	$PR = RQ = 2.3; PQ = 1$ $ST = SU = TU = 5\frac{1}{4}$
 provide during the transmission. provide during the		9. Min works in the kitchen of a catering company. Today her job is to cut whole pita bread into small triangles. Min uses a cutting machine, so every pita triangle comes out the same. The figure shows an example. Min has been told to cut 3 pita triangles for every guest.
14. $AB = 15$ $AC = 16$ $BC = 21$ 15. The New York Cip subway is known for its crowdad cars. If all the senses is a card and family finding and the senses is a card and family finding and the senses is a card and family finding and the senses is a card and family finding and the senses is a card and family finding and the senses is a card and family finding and the senses is a card and family finding and the senses is a card and family finding and the senses is a card and family finding and the senses is a card and family finding famil	Find the side lengths of the triangle. $x + 6$	squares with 20-centimeter sides and she doesn't waste any bread, how many squares of whole pita bread will Min have to cut up?
 and the first of the Consideration of the standard cardination of the stand	14. $AB = $ 15 $AC = $ 15 $BC = $ 21	10. Follow these instructions and use a protractor to draw a triangle with
Auge Market Mark Auge Market Mark	in a car are taken, passengers must stand and steady themselves with railings or handholds. The last subway cars designed with steel hand straps were the "Redbrids" made in the late 1950s and early 1960s. The figure gives the dimensions of one of these triangular hand straps. How many hand straps could have been made from 99 inches of steel?	segment. Now set your compass to 4 cm and make an arc from the other end of the 5-cm segment. Mark the point where the arcs intersect. Connect this point to the ends of the 5-cm segment. Classify the triangle by sides and by angles. Use the Pythagorean Theorem to check your answer.
Practice C 431 Classifying Trangles The give shows the side of a ruleway bridge. Sheel gives makes us the side of a ruleway bridge. Sheel gives makes the singene shows the side of a ruleway bridge. Sheel gives makes us an equitateral triangle is an equilateral triangle. In an equilateral triangle is an equilateral triangle is an equilateral triangle. The origin of the segment that haves the side of the bridge in feet and inches. Round to the nearest inch. 1. Find the length of wooden plants needed (that is, the seg and the bridge) in feet and inches. Round to the nearest inch. 3. Find the length of wooden plants needed (that is, the seg and the the probability of the segment that have the side of the triangle is a for each triangle. 5. Find the length of the classify inches meeded (that is, the seg and the the probability of the segment that have the set is a line. 5. Find the length of wooden plants needed (that is, the seg and the $x = \pm 1$. For $\Delta DEF_r x \neq -1$ because a length cannot be negative, and it $x = \pm 1$. For $\Delta DEF_r x \neq -1$ because a length cannot be negative, and it $x = -1$ that $F = -1$. So $x = 1$ is the only solution for ΔDEF . 4. Tal what kind of thing be acch must be in al cases: AB = CI = 25, HI = 9; CH = CI = 9, HI = 1. 5. Stocknets $\frac{A = CI = 0}{2}, HI = 9; CH = CI = 9, HI = 1$. 5. Stocknets $\frac{A = CI = 0}{2}, HI = 0; CH = 0;$		Copyright O by Holk. Renehant and Windon. 4 Holt Geometry All holds greatmost.
E3 Classifying Triangles The figure tore is do of a rankey bidge. Seel rankey bidge is the side of a rankey bidge. Seel rankey bidge is the side is a perpendicular to. The height of the bridge is 18 feat. Find the total length of steel gidder used to make the side of the bridge in feet and inches. Round to the nearest inch. Second the side is a perpendicular to. The height of the nearest inch. Second the side is a perpendicular to. The height of the nearest inch. Second the side is a perpendicular to. The height of the nearest inch. Second the side is a perpendicular to. The height of the nearest inch. Second the side is a perpendicular to. The height of the nearest inch. Second the side of a rank of the side of a rank of the side of the nearest inch. For $\triangle ABC, x = 1$ or -1 because a length cannot be negative, and it $x = -1$ then $EF = -1$. So $x = 1$ is the only solution for $\triangle DEF$. Second the side length. $ABC must be isosceles and \triangle DEF must be an equilateral triangle.Second the angles are comparent, \triangle ALM are congruent, \triangle ALM is an equilangular triangle.Subsceles \triangle MH has \widehat{GH} = \widehat{G}. \Theta H = X^2, \Theta - 2x + 15, and H = -x + 4.Find the side length.\Theta = (-25, HI = 9; GH = GI = 9, HI = 1Second the A = 0, Z = 0 for A = n./2 = 0, X = n./2 = 0 for A = n./2 = 0, X = n./2 = 0 for A = n./2 = 0, X = n./2 = 0 for A = n./2 = 0, X = n./2 = 0 for A = n./2 = 0, X = n./2 = 0 for A = n./2 = 0, X = n.$	Practice C	Reteach
pirters make up the triangle is a relational problem large is a relation large is a triangle with three conjugent angles. Triangles, the segment that shows the height also blacks the side it is perspectively to the bridge is 18 feet. 1. Find the total length of steel grider used to make this side of the bridge is 18 feet. 2. Find the lotal length of steel grider used (fhat is, the span of the bridge) in feet and inches. Round to the mearest inch. 2. Find the lotal ength of steel grider used (fhat is, the span of the bridge) in feet and inches. Round to the mearest inch. 3. Find all possible values of x for each triangle. $\frac{2}{228 \text{ ff 8 in}}$. $\frac{2}{2} = \pm 1$. For $\triangle DEF, x \neq -1$ because the triangles are isoscelles, $x^2 = 1$, so $x = \pm 1$. For $\triangle DEF, x \neq -1$ because a length cannot be negative, and if $x = -1$ then $EF = -1$. So $x = 1$ is the only solution for $\triangle DEF$. 4. Tell what kind of triangle each must be in all cases. $\triangle ABC must be isoscelles and \triangle DEF must be an equilateral triangle.5. Isosceles \triangle GHI has \overline{GH} = \overline{GI}. GH = GI = 9, HI = 16. Given that \overline{AG} \mid \overline{BF} \mid \overline{CG} and m_A = m_{AD} = m_{AD} = m_{AD} solution and the singles m_{AD} = m_{$	4-1 Classifying Triangles	4-1 Classifying Triangles
1. Find the total length of steed girder used to make this ide of the bridge in feet and inches. Round to the nearest inch. 2. Find the length of wooden planks needed (that is, the span of the bridge) in feet and inches. Round to the nearest inch. 33 ff 2 in. 33 ff 2 in. 33 ff 2 in. 34 ff 2 in. 35 find all possible values of x for each triangle. Explain why the solutions are different. 5. Find all possible values of x for each triangles are isosceles, $x^2 = 1$, so $x = \pm 1$. For $\triangle DEF$, $x \neq -1$ because a length cannot be negative, and if $x = -1$ then $EF = -1$. So $x = 1$ is the only solution for $\triangle DEF$. 4. Tell what kind of triangle each must be in all cases. $\triangle ABC must be isosceles and \triangle DEF must be an equilateral triangle.5. Isosceles \triangle Hh as \widehat{GH} = \widehat{GI}. GH = x^2, GI = -2x + 15, and HI = -x + 4.Find the side lengths.GH = GI = 25, HI = 9; GH = GI = 9, HI = 16. Given that \widehat{AG} \mid \widehat{BT} \mid \widehat{CE} and \dots A = \dots D = \dots A = 60^\circ, write a paragraph proof proving that all the numbered angles in the figure are congruent. (Hint: Mark off each angle a spougo.)Possible answer: By the Corr. Angles Postulate, m \ge 1 = m \ge 23 effor and m \ge G = m \le 19 the Corr. Angles n \ge 10^+ \text{ Corr} the figure to classify each triangle by its angle measures.4. \triangle DFGimparagraph proof proving than angle add. Postulate, m \ge 1 + m \le 41 angle A = m \ge 2 for M = M \ge 41. Int. Angles Theorem, m \ge 19 = m \ge 20 and m \ge 10^+ \text{ m} \le 10^+ \text{ m} \ge 10^+ \text{ m}$	girders make up the triangular pattern along the side and top. Each triangle is an equilateral triangle. In an equilateral triangle, the segment that shows the height	triangle, for example, is a triangle with three congruent angles. Examples of three other triangle classifications are shown in the table. Acute Triangle Right Triangle Obtuse Triangle Obtuse Triangle
Use the figure for Exercises 3 and 4. 3. Find all possible values of x for each triangle. Explain why the solutions are different. For $\triangle BC$, $x = 1$ or -1 because the triangles are isosceles, $x^2 = 1$, so $x = \pm 1$. For $\triangle DEF$, $x \neq -1$ because a length cannot be negative, and if $x = -1$ then $EF = -1$. So $x = 1$ is the only solution for $\triangle DEF$. 4. Tell what kind of triangle each must be in all cases. $\triangle ABC$ must be isosceles and $\triangle DEF$ must be an equilateral triangle. 5. Isosceles $\triangle GH$ has $\overline{GH} = \overline{GI}$. $GH = x^2$, $GI = -2x + 15$, and $HI = -x + 4$. Find the side lengths. GH = GI = 25, $HI = 9$; $GH = GI = 9$, $HI = 16. Given that \overline{AG} \mid \overline{BF} \mid \overline{CE} and m.A = m.C = 60^\circ, write aparagraph proof proving that all the numbered angles in the figure arecongruent. (Hint: Mark of each angle as you go.)Possible answer: By the Corr. Angles Postulate, m.Z 1 = m.Z 1 = 60^\circ. Therefore by substitution andhas but. Prop. of Equality, m.Z 4 = 60^\circ. Substitutfor and m.Z = m.Z 1 = m.Z 4 = 60^\circ. Therefore by substitution andhas but. Prop. of Equality, m.Z 4 = m.C 2 and m.Z 5 = m.Z 7 and m.C 10 = m.Z 8 and m.Z 11 = m.Z 2 + 60^\circ. Therefore by substitution andthe soult. Prop. of Equality, m.Z 4 = m.C 2 and m.Z 5 = m.Z 7 and m.Z 10 = m.Z 8 and m.Z 11 = m.Z 2 and m.Z 5 = m.Z 7 and m.Z 10 = m.Z 8 and m.Z 11 = m.Z 2 and m.Z 5 = m.Z 7 and m.Z 10 = m.Z 8 and m.Z 11 = m.Z 2 and m.Z 5 = m.Z 7 and m.Z 10 = m.Z 8 and m.Z 11 = m.Z 2 and m.Z 5 = m.Z 7 and m.Z 10 = m.Z 8 and m.Z 11 = m.Z 3 = 60^\circ. Because every angle has the same measure, all ofthe angles are congruent by the definition of a straight angle, the Angle Addition Postulate, substitutionm.T. M.Z = 160^\circ. But each finding the solution is solution to congruent angles.5. \Delta EEGm.Z = m.Z = m.Z$	the bridge in feet and inches. Round to the nearest inch. 228 ft 8 in.	1 1 1 1 1 1 1 1 1 1
rol ΔABC, x = 10 r -1 because the triangles are isousceles, x = 1, so $x = \pm 1$. For ΔDEF, $x \neq -1$ because a length cannot be negative, and if x = -1 then EF = -1. So $x = 1$ is the only solution for ΔDEF. 4. Tell what kind of triangle each must be in all cases. <u>AABC must be isosceles and ΔDEF must be an equilateral triangle.</u> 5. Isosceles ΔGH/ has $\overline{GH} = \overline{GI}$. $GH = x^2$, $GI = -2x + 15$, and $HI = -x + 4$. Find the side lengths. <u>GH = GI = 25</u> , $HI = 9$; $GH = GI = 9$, $HI = 1$ 6. Given that $\overline{AG} \overline{BF} \overline{CE}$ and $m \angle A = m \angle D = m \angle G = 60^\circ$, write a paragraph protoproving that all the numbered angles in the figure ar congruent. (Hint: Mark off each angle as you go.) Possible answer: By the Corr. Angles Postulate, $m \angle A = m \angle 21 = m \angle 15 = m \angle 12 = 60^\circ$. A metal to $\frac{1}{\sqrt{10}} = \frac{1}{\sqrt{10}} = \frac$	3. Find all possible values of x for each triangle.	You can use angle measures to classify $\triangle JML$ at right. $\angle JLM$ and $\angle JLK$ form a linear pair, so they are supplementary.
$\frac{x = -1 \text{ then } EF = -1. \text{ So } x = 1 \text{ is the only solution for } \Delta DEF.$ 4. Tell what kind of triangle each must be in all cases. $\frac{\Delta ABC \text{ must be isosceles and } \Delta DEF \text{ must be an equilateral triangle.}}{\text{5. isosceles } \Delta GHI \text{ has } \overline{GH} = \overline{GI}. GH = x^2, GI = -2x + 15, \text{ and } HI = -x + 4.$ Find the side lengths. $\frac{GH = GI = 25, HI = 9; GH = GI = 9, HI = 1$ 6. Given that $\overline{AG} \parallel \overline{BF} \parallel \overline{CE}$ and $m \angle A = m \angle D = m \angle G = 60^\circ$, write a paragraph proof proving that all the numbered angles in the figure are congruent. (<i>Hint:</i> Mark of each angle as you go.) Possible answer: By the Corr. Angles Postulate, $m \angle A = m \angle 21 = m \angle 3 = m \angle 1 = m \angle 12 = 60^\circ$. Therefore by substitution and the Solut Prop. of Equality, $m \angle A = 60^\circ$. Therefore by substitution and the Subt. Prop. of Equality, $m \angle A = 60^\circ$. Similar reasoning will prove that $m \angle 11 = m \angle 13 = 0^\circ$. So the definition of a straight angle and the Angle Add. Postulate, $m \angle 1 = m \angle 8 = m \angle 11 = m \angle 12 = m \angle 1 = m \angle 12 = m \angle 1$	i	L L
 4. Tell what kind of triangle each must be in all cases. <u>△ABC must be isosceles and △DEF must be an equilateral triangle.</u> 5. Isosceles △GH/ has GH = Gi. GH = x², GI = -2x + 15, and HI = -x + 4. Find the side lengths. <u>GH = GI = 25, HI = 9; GH = GI = 9, HI = 1</u> 6. Given that AG BF CE and m ∠A = m∠D = m∠G = 60°, write a paragraph proof proving that all the numbered angles in the figure are congruent. (<i>Hint:</i> Mark off each angle as you go.) Possible answer: By the Corr. Angles Postulate, m∠A = m∠12 = 60°. Construct a line parallel to CE through D. Then also by the Corr. Angles Postulate, m∠A = m∠12 = 60°. Construct a line parallel to CE through D. Then also by the Corr. Angles Postulate, m∠A = 60°. Construct a the Subt. Prop. of Equality, m∠A = 60°. Similar reasoning will prove that m∠11 = m∠13 = m∠19 = 60°. By the Akt. Int. Angles Theorem, m∠19 = m∠20 and m∠11 = m∠13 = m∠17 and m∠16 = m∠5 by the Vertical Angles Theorem. By the Akt. Int. Angles Theorem, m∠19 = m∠20 and m∠11 = m∠18 = m∠17 and m∠16 = m∠9 substitution vill show that the measure of every angle is 60°. Because every angle has the same measure, all of the angles are congruent by the definition of a straight angle. 		
5. Isosceles $\triangle GHI$ has $\overline{GH} = \overline{GI}$. $GH = x^2$, $GI = -2x + 15$, and $HI = -x + 4$. Find the side lengths. GH = GI = 25, $HI = 9$; $GH = GI = 9$, $HI = 16. Given that \overline{AG} \parallel \overline{BF} \parallel \overline{CE} and m \angle A = m \angle D = m \angle G = 60^\circ, write aparagraph proof proving that all the numbered angles in the figure arecongruent. (Hint: Mark off each angle asy ugo.)Possible answer: By the Corr. Angles Postulate, m \angle A = m \angle 21 =m \angle 23 = 60^\circ and m \angle G = m \angle 14 = m \angle 24 = 60^\circ. Construct aline parallel to \overline{CE} through D. Then also by the Corr. AnglesPostulate, m \angle D = m \angle 22 = m \angle 1 = m \angle 4 = 60^\circ. Therefore by substitution andthe Subt. Prop. of Equality, m \angle 4 = 60^\circ. Singles Theorem, m \angle 19 = m \angle 20 and m \angle 11 =m \angle 18 = m \angle 19 = 60^\circ. By the Alt. Int. Angles Theorem, m \angle 19 = m \angle 20 and m \angle 11 =m \angle 13. By the definition of a straight angle, the Angle Addition Postulate, substitu-tion, and the Subt. Prop., m \angle 17 = m \angle 6 = m \angle 3 = m \angle 9. Substitution will show thatthe measure of every angle is 60^\circ. Because every angle has the same measure, all ofthe angles are congruent by the definition of congruent angles.5. \Delta DEGbituse6. \triangle EFGbituse7. 4^{47^\circ}7. 4^{47^$		Classify each triangle by its angle measures.
6. Given that $\overline{AG} \parallel \overline{BF} \parallel \overline{CE}$ and $m \angle A = m \angle D = m \angle G = 60^\circ$, write a paragraph proof proving that all the numbered angles in the figure are congruent. (<i>lint:</i> Mark off each angle as you go.) Possible answer: By the Corr. Angles Postulate, $m \angle A = m \angle 21 = g^{D}$, Construct a line parallel to \overline{CE} through D . Then also by the Corr. Angles $M \angle G = m \angle 14 = m \angle 12 = 60^\circ$. Angles $M \angle G = m \angle 14 = m \angle 21 = m \angle A = 60^\circ$. Therefore by substitution and the Subt. Prop. of Equality, $m \angle A = m \angle 21 = m \angle A = 60^\circ$. Similar reasoning will prove that $m \angle 11 = m \angle 18 = m \angle 19 = 60^\circ$. By the Att. Int. Angles Theorem, $m \angle A = m \angle 21 = m \angle A = 60^\circ$. Similar reasoning will prove that $m \angle 11 = m \angle 18 = m \angle 19 = 60^\circ$. By the definition of a straight angle, the Angle Addition Postulate, substitution will show that the measure of every angle is 60^\circ. Because every angle is show that the measure of every angle is show the definition of congruent angles.	5. Isosceles $\triangle GHI$ has $\overline{GH} \cong \overline{GI}$. $GH = x^2$, $GI = -2x + 15$, and $HI = -x + 4$.	1. 2. 103 3. 61 ⁺
paragraph proof proving that all the numbered angles in the figure are congruent. (<i>Hint:</i> Mark off each angle as you go.) Possible answer: By the Corr. Angles Postulate, $m \perp A = m \perp 21 = \frac{1}{2} = \frac{1}{2$		236° 247° 30° 70° 49
Possible answer: By the Corr. Angles Postulate, $m \angle A = m \angle 21 = e^{\frac{1}{2} + \frac{1}{2} + \frac{1}{2$	paragraph proof proving that all the numbered angles in the figure are congruent. (<i>Hint:</i> Mark off each angle as you go.) $c_{\chi_3}^{z_3} - 2A = c_{\chi_3}^{z_3} - 2A = c_{\chi_3}^{z$	
By the definition of a straight angle and the Angle Add. Postulate, $m \perp 1 \neq m \perp 4^{+}_{+}$ $m \perp 21 = 180^{\circ}$, but $m \perp 1 = m \perp 21 = m \perp A = 60^{\circ}$. Therefore by substitution and the Subt. Prop. of Equality, $m \perp 4 = 60^{\circ}$. Similar reasoning will prove that $m \perp 11 =$ $m \perp 18 = m \perp 19 = 60^{\circ}$. By the Alt. Int. Angles Theorem, $m \perp 19 = m \perp 20$ and $m \perp 11 =$ $m \perp 16. m \perp 20 = m \perp 10$ and $m \perp 16 = m \perp 2$ and $m \perp 5 = m \perp 7$ and $m \perp 10 = m \ge 8$ and $m \perp 11 =$ $m \perp 13$. By the definition of a straight angle, the Angle Addition Postulate, substitu- tion, and the Subt. Prop., $m \perp 17 = m \ge 6 = m \ge 3 = m \ge 9$. Substitution will show that the measure of every angle is 60^{\circ}. Because every angle has the same measure, all of the angles are congruent by the definition of congruent angles. 5 . $\triangle DEG$ acute 6 . $\triangle EFG$ 0 buse 6 . $\triangle FFG$ 1 1 1 1 1 1 1 1	$m \angle 23 = 60^{\circ} \text{ and } m \angle G = m \angle 14 = m \angle 24 = 60^{\circ}. \text{ Construct a} \qquad B \frac{21}{24} \ge \frac{20^{\circ}}{5} \frac{14}{10} F$	4. △ <i>DFG</i>
the Subt. Prop. of Equality, $m \angle 4 = 60^{\circ}$. Similar reasoning will prove that $m \angle 11 = m \angle 18 = m \angle 19 = 60^{\circ}$. By the Alt. Int. Angles Theorem, $m \angle 19 = m \angle 20$ and $m \angle 18 = m \angle 10$. $m \angle 20 = m \angle 10$ and $m \angle 16 = m \angle 5$ by the Vertical Angles Theorem. By the Alt. Int. Angles Theorem, $m \angle 4 = m \angle 2$ and $m \angle 5 = m \angle 7$ and $m \angle 10 = m \angle 8$ and $m \angle 11 = m \angle 13$. By the definition of a straight angle, the Angle Addition Postulate, substitution, and the Subt. Prop., $m \angle 17 = m \angle 6 = m \angle 3 = m \angle 9$. Substitution will show that the measure of every angle is 60° . Because every angle has the same measure, all of the angles are congruent by the definition of congruent angles.	By the definition of a straight angle and the Angle Add. Postulate, $m \angle 1 + m \angle 4 + m \angle 4$	
Int. Angles Theorem, $m \angle 4 = m \angle 2$ and $m \angle 5 = m \angle 7$ and $m \angle 10 = m \angle 8$ and $m \angle 11 = m \angle 13$. By the definition of a straight angle, the Angle Addition Postulate, substitution, and the Subt. Prop., $m \angle 17 = m \angle 6 = m \angle 9$. Substitution will show that the measure of every angle is 60°. Because every angle has the same measure, all of the angles are congruent by the definition of congruent angles.	the Subt. Prop. of Equality, $m \angle 4 = 60^\circ$. Similar reasoning will prove that $m \angle 11 = m \angle 18 = m \angle 19 = 60^\circ$. By the Alt. Int. Angles Theorem, $m \angle 19 = m \angle 20$ and $m \angle 18 =$	
the angles are congruent by the definition of congruent angles.	Int. Angles Theorem, $m \angle 4 = m \angle 2$ and $m \angle 5 = m \angle 7$ and $m \angle 10 = m \angle 8$ and $m \angle 11 = m \angle 13$. By the definition of a straight angle, the Angle Addition Postulate, substitution, and the Subt. Prop., $m \angle 17 = m \angle 6 = m \angle 3 = m \angle 9$. Substitution will show that	
	the angles are congruent by the definition of congruent angles.	Copyright O by Holt, Rinshart and Winston. 6 Holt Geometry All rights reserved.

